

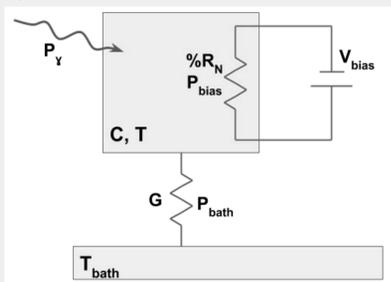
## Simons Observatory Detectors

- The Simons Observatory [1]
  - Improve cosmological constants constraints
  - Probe sum of neutrino masses
  - Detect high-redshift galaxy clusters
  - Characterize dark matter via grav. lensing
- Small and Large Aperture Telescopes [2]
  - ~0.5 m (SAT) and ~6 m (LAT) respectively
  - Altitude 5190 m on Cerro Toco, Chile
- ~70,000 Transition Edge Sensors (TESs)
  - Dichroic LF, MF, and UHF arrays
  - 30/40, 90/150, 230/290 GHz
- Single prototype TESs used for optimization [3]
- Detector time constants driven by:
  - Rotating, cryogenic half-wave plate (SAT)
  - Nyquist sampling of beam on sky (LAT)
- Time constant measurement methods:
  - Bias steps good for fast effective thermal response characterization in the field
  - Complex impedance slower but probes fundamental device parameters

Frequency Band	Target $P_{\text{sat}}$ Range	Target $f_{3\text{dB},\text{min}}$
LF-1 27 GHz	0.6 – 1.0 pW	150 Hz
LF-2 39 GHz	2.7 – 4.4 pW	150 Hz
MF-1 90 GHz	2.0 – 3.3 pW	150 Hz
MF-2 150 GHz	5.4 – 9.0 pW	166 Hz
UHF-1 220 GHz	16.9 – 28.1 pW	245 Hz
UHF-2 275 GHz	22.4 – 37.3 pW	279 Hz

## Background and TES Model

- Irwin & Hilton Single Thermal Block Model [4]
  - Bolometer island suspended from bath
  - Superconductor biased on transition
  - Negative electrothermal feedback

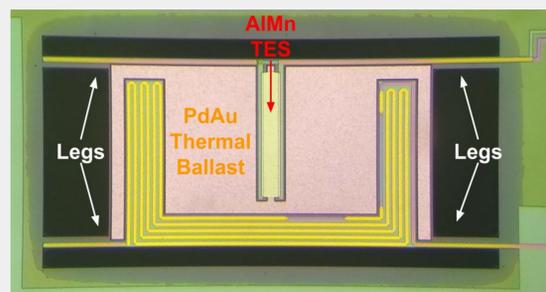


- Saturation power tuned by changing G
- Effective thermal time constant
  - Function of C, G,  $P_{\text{bias}}$ , and TES properties
  - Tune at expected  $P_{\text{bias}}$  by changing C

$$\frac{1}{2\pi\tau_{\text{eff}}} = f_{3\text{dB}} = f_{\text{nat}} \left(1 + \frac{\mathcal{L}}{1 + \beta}\right) = \frac{G}{2\pi C} \left(1 + \frac{1}{(1 - \beta)} \frac{\alpha P_{\text{bias}}}{T_c G}\right)$$

- Complex impedance
  - Probe fundamental TES parameters  $\alpha$ ,  $\beta$ , C
  - Low frequency limit reduces to  $Z_{\text{TES}} \sim -R$
  - High frequency limit reduces to  $Z_{\text{TES}} \sim R(1 + \beta)$

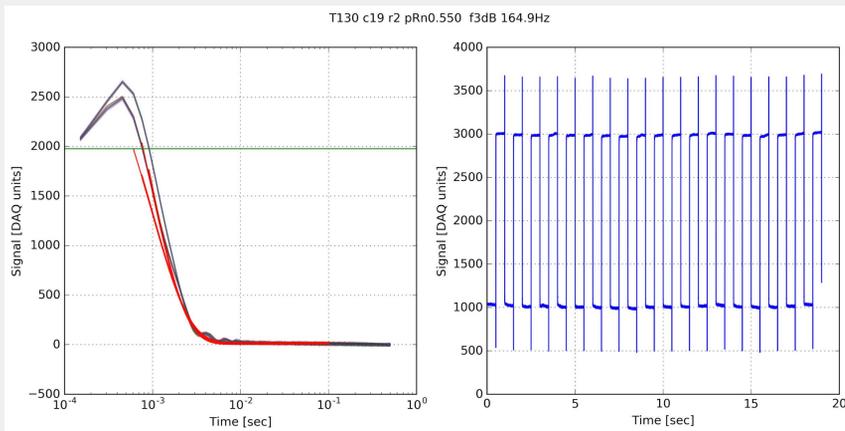
$$Z_{\text{TES}}(f) = R(1 + \beta) + \frac{R(2 + \beta)\mathcal{L}}{(1 - \mathcal{L}) + if/f_{\text{nat}}}$$



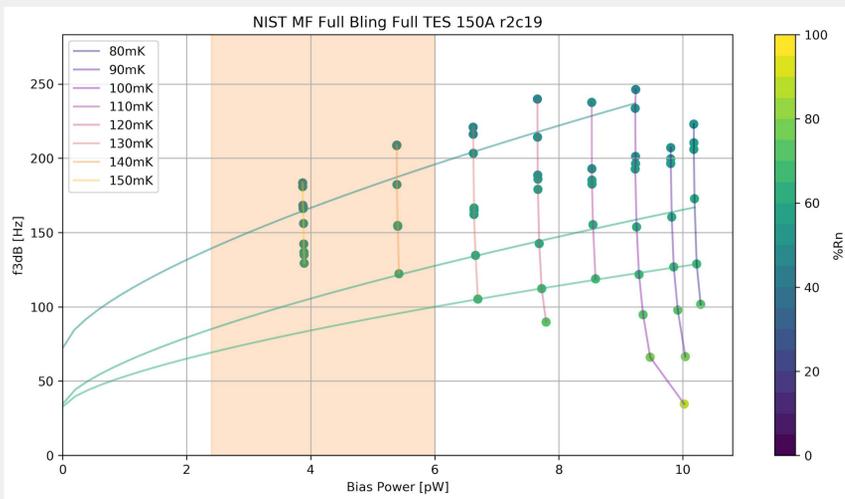
NIST SO MF-2 150 GHz TES Bolometer

## Bias Step Measurements

- Bias step acquisition with Multichannel Electronics (MCE) readout system
  - TES at  $T_{\text{bath}}$  biased onto transition to  $\%R_N$  with DC  $P_{\text{bias}}$
  - Small amplitude square wave applied on top of DC bias
  - TES rebiased to another  $\%R_N$  and another bias step is acquired
  - Quickly sample TES response with MCE (~6.4 kHz)

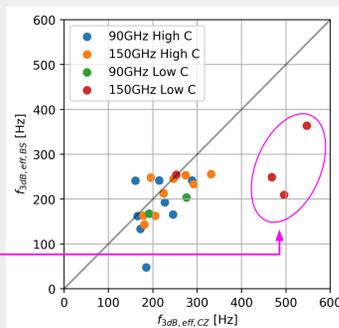


- Extracting the effective thermal time constant
  - Bolometer time streams split at each step of the square wave
  - Single pole exponential fit applied to each step
  - Beginning of fit determined by amplitude of square wave
- Mapping the effective thermal time constant
  - Measurements at multiple  $T_{\text{bath}}$  simulate variety of loading conditions
- Confirm bolometer performance meets requirements
  - Estimate natural time constant by extrapolating to  $P_{\text{bias}} = 0$  pW
  - Fit constant  $\%R_N$  datasets to two-fluid model [5,6]



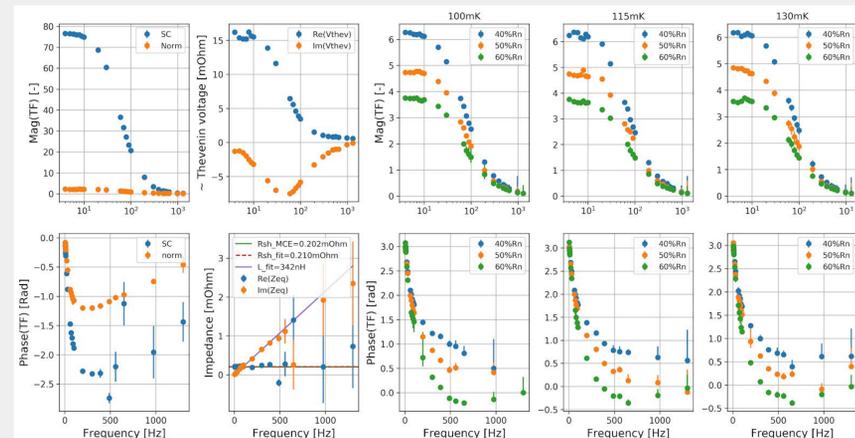
## Conclusions

- Time constants measured via bias step and complex impedance
- Both methods roughly consistent and fit well to single island bolometer model
- Bias step fits become less reliable for fast detectors
  - Can be improved by increasing sampling rate
- Complex impedance fits can be improved with higher stimulation frequencies.
  - CZ fits of fast devices poorly constrain  $\beta$  and therefore  $f_{3\text{dB}}$
  - $f_{3\text{dB}}$  limited by fastest bolometer excitation frequency
- Effective thermal time constants meet expectations and SO requirements

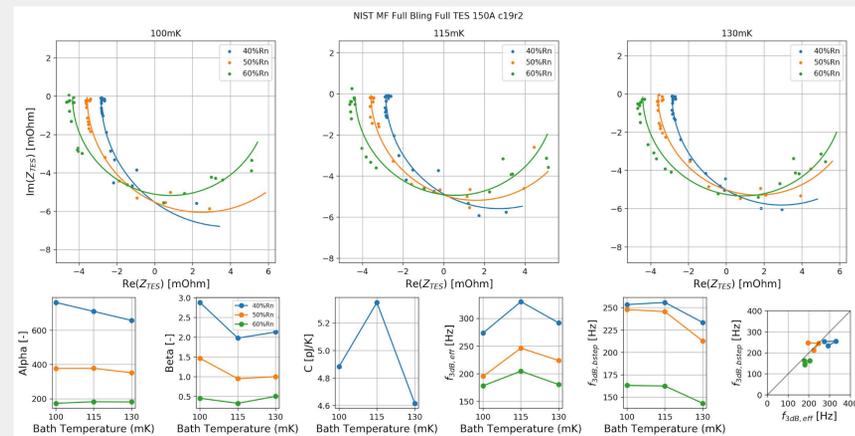


## Complex Impedance Measurements

- Complex impedance acquisition with MCE arbitrary waveform generator (AWG)
  - TES at  $T_{\text{bath}}$  biased onto transition to  $\%R_N$  with DC  $P_{\text{bias}}$
  - Small amplitude digitized sine waves applied on top of DC bias
    - Stimulation frequencies ranging from 4 Hz to ~ 1.3 kHz
  - Quickly sample TES response with MCE (~7.8 kHz)
- Transfer functions (TFs)
  - Fit amplitude and phase of bolometer response to stimulation [7]
  - Relative amplitude and phase of input and output gives complex-valued TF
  - Use superconducting and normal TFs for bias circuit calibration/removal



- TES complex impedance ( $Z_{\text{TES}}$ )
  - $Z_{\text{TES}}$  from TFs using bias circuit calibration and  $R_N$  from IV-curve measurement
  - Fit model for  $\alpha$ ,  $\beta$ , C as function of  $\%R_N$  and  $T_{\text{bath}}$
  - Heat capacity constrained as constant for all  $\%R_N$  fits at a given  $T_{\text{bath}}$
  - Propagate sinusoid fitting errors analytically to  $Z_{\text{TES}}$  and input to model fit
  - IV-curve measurements of  $R_N$ ,  $T_c$ , G, and  $P_{\text{bias}}$  assumed negligible uncertainty
  - Derived effective thermal time constant roughly agrees with bias steps



## Acknowledgements

This work was funded by the Simons Foundation  
NFC supported by a NASA Space Technology Research Fellowship  
MDN acknowledges support from NSF award AST-1454881.

## References

- Galitzki et al, Proc. SPIE 2018, DOI: 10.1117/12.2312985
- Ade et al, JCAP 2019, DOI: 10.1088/1475-7516/2019/02/056
- Stevens et al, JLT 2020, DOI: 10.1007/s10909-020-02375-9
- Irwin and Hilton, Springer 2005, DOI: 10.1007/10933596\_3
- Koopman et al, JLT 2018, DOI: 10.1007/s10909-018-1957-5
- Irwin et al, J. Appl. Phys. 1998, DOI: 10.1063/1.367153
- Kevin T Crowley, Thesis 2018, <http://arks.princeton.edu/ark:/88435/dsp016m311s06t>